

# Some definitions

## Downward-entailment

one of the following implications holds ( $f$  = few students/almost no secretary):

$$f(X \cup Y) \Rightarrow f(X) \cap f(Y)$$

Few students complained **or** resisted.  $\Rightarrow$  Few students complained **and** few students resisted.

$$f(X) \cup f(Y) \Rightarrow f(X \cap Y)$$

Almost no secretary writes fast **or** almost no secretary types fast.  $\Rightarrow$  Almost no secretary writes **and** types fast.

## Anti-additive

$$f(X \cup Y) = f(X) \cap f(Y)$$

Nobody complained **or** resisted. = Nobody complained **and** nobody resisted.

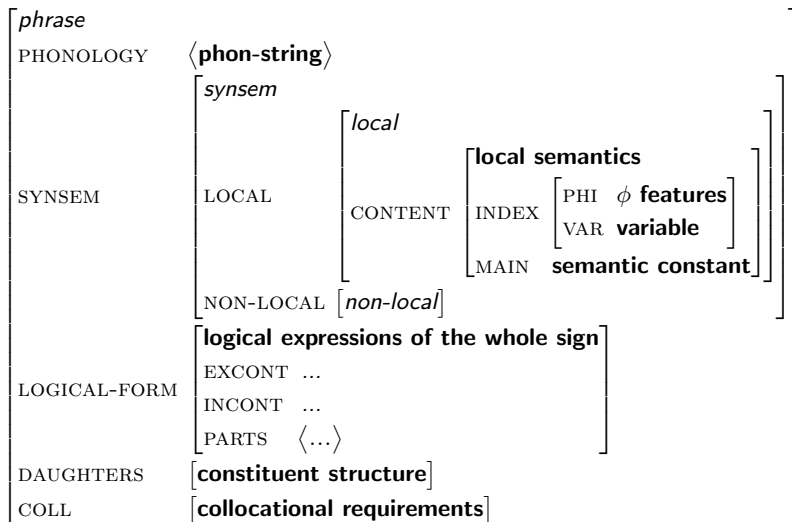
## Defining Relations

Via relations we express an NPI being in scope of a licenser, e. g. an operator of strength DE (*few, at most n, hardly,...*):

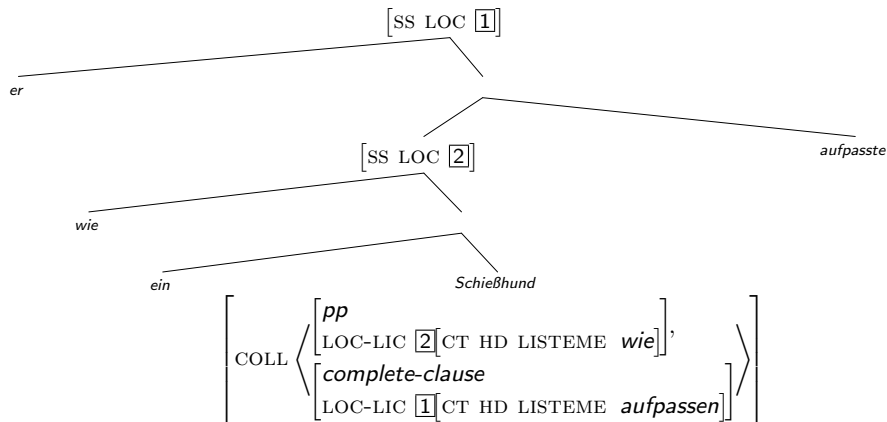
Relation de-strength-op:

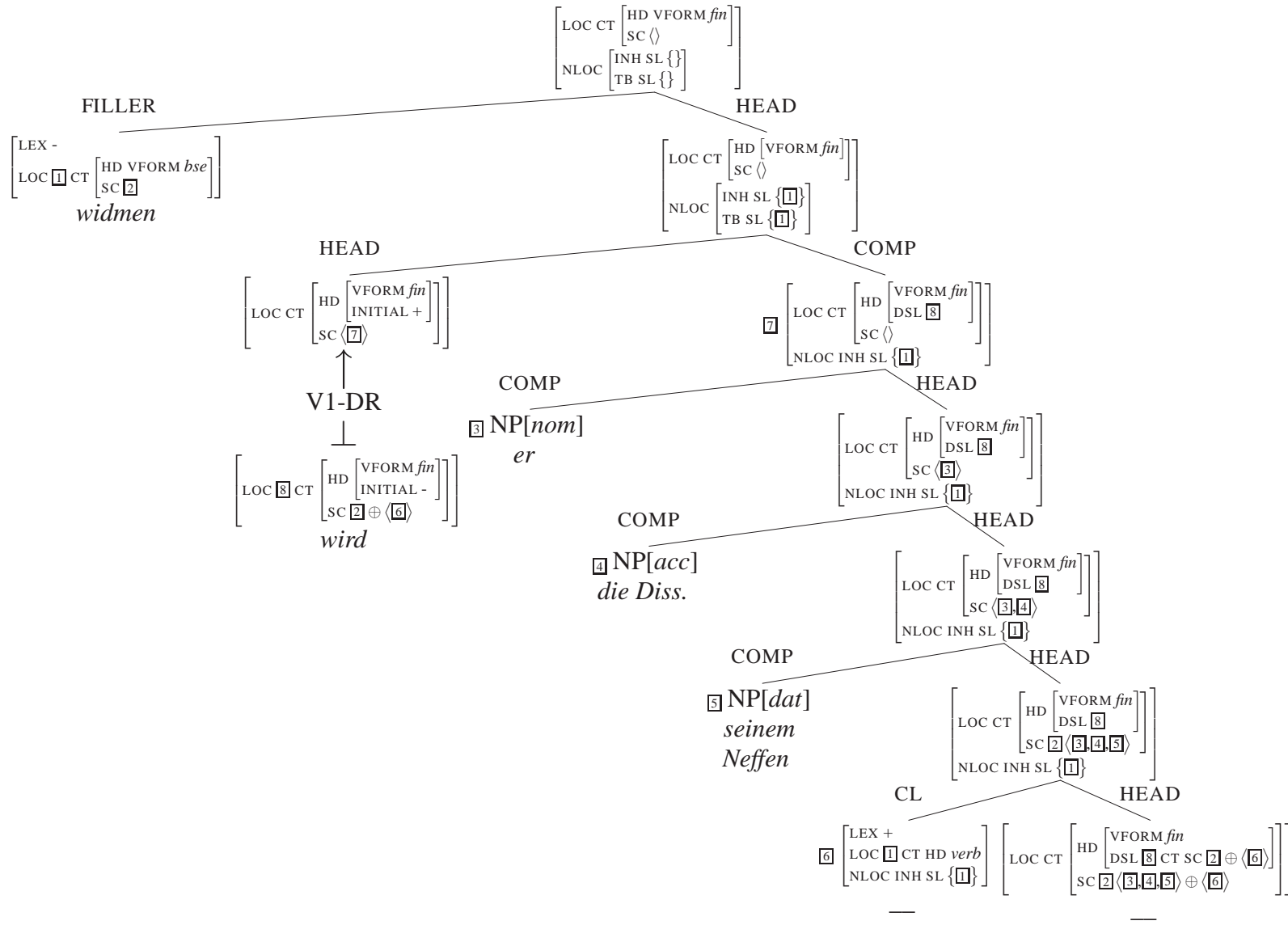
$$\forall \boxed{\text{lf}} \forall \boxed{1} \left( \text{de-str-op}(\boxed{\text{lf}}, \boxed{1}) \leftrightarrow \left( \begin{array}{l} \exists \boxed{2} \exists \boxed{3} \left( \begin{array}{l} \boxed{1} < \boxed{3} \wedge \boxed{2} < \boxed{\text{lf}} \wedge \\ \boxed{2} \text{ every}(\_, \boxed{3}, \_) < \boxed{\text{lf}} \vee \\ \boxed{2} \text{ few}(\_, \boxed{3}, \_) < \boxed{\text{lf}} \vee \\ \boxed{2} \text{ few}(\_, \_, \boxed{3}) < \boxed{\text{lf}} \vee \\ \boxed{2} \text{ at\_most\_}n(\_, \_, \boxed{3}) < \boxed{\text{lf}} \vee \\ \boxed{2} \text{ hardly}(\boxed{3}) < \boxed{\text{lf}} \vee \\ \dots \end{array} \right) \vee \text{aa-str-op}(\boxed{\text{lf}}, \boxed{1}) \end{array} \right) \right)$$

## LRS — Architecture



## COLL - An Example



Abbildung 5.11: Analyse von *Widmen* wird er die *Dissertation* seinem *Neffen*.